

Privacy-Preserving Action Recognition using Coded Aperture Videos

Zihao W. Wang¹, Vibhav Vineet², Francesco Pittaluga³,
Sudipta N. Sinha², Oliver Cossairt¹, Sing Bing Kang⁴

¹Northwestern University

²Microsoft Research

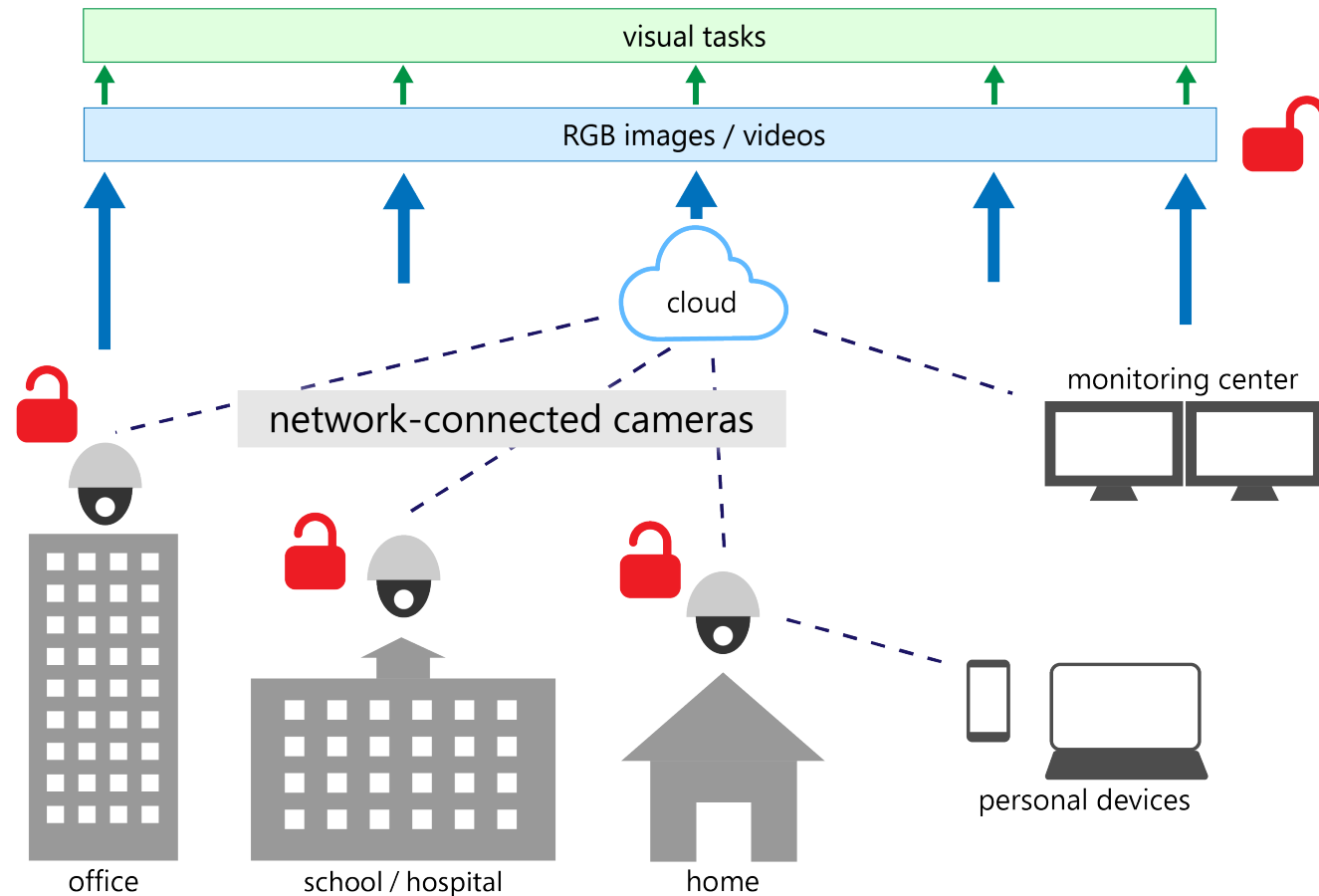
³University of Florida

⁴Zillow Group



Motivation

- Monitoring cameras are widely deployed in public and/or private places.
- Yet the network-connected cameras are subject to **attacks**!
- Moreover, mainstream visual algorithms always interface with RGB images / videos, which are privacy revealing.



Goal:

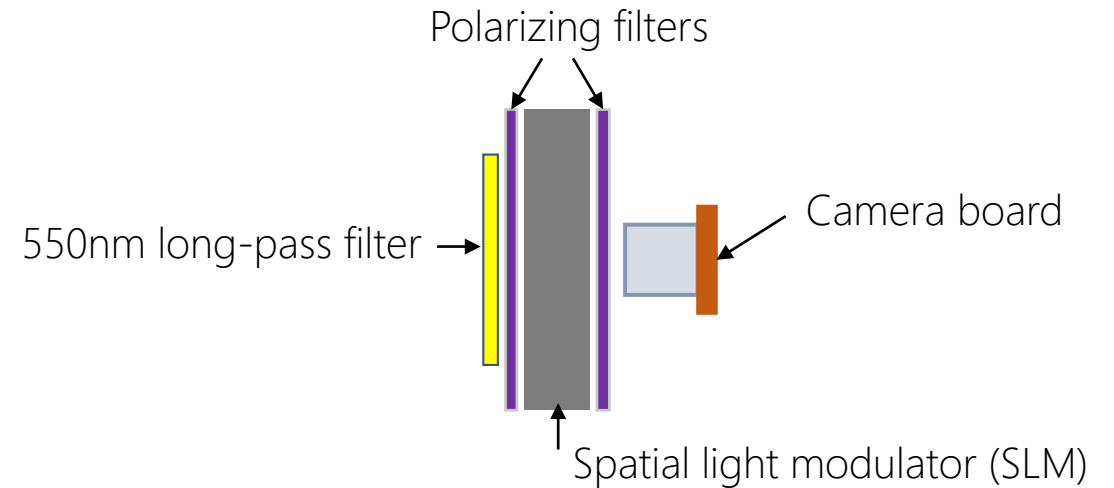
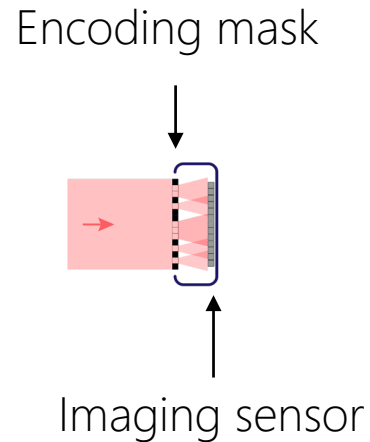
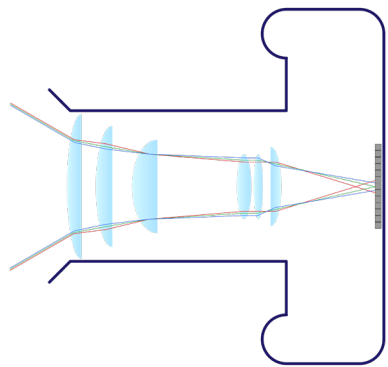
To preserve privacy before capturing the images.

To execute visual task(s) **without** looking at the original visual data.

Previous work on pre-capture privacy cameras

- *Dai et. al., 2015*
 - Multiple extremely low-res cameras
 - 100x100 to 1x1
 - Multi-camera issues (calibration, effective FOV, ...)
- *Pittaluga and Koppal, 2017*
 - Optical defocus blur
 - Estimating blur kernels (Gaussian) is not hard
- *Kulkarni and Turaga, 2016*
 - Compressive (single pixel) imaging
 - Costly to implement (DMD is required)
- Ours:
 - Single camera
 - Severely blurred, kernels are very hard to retrieve
 - Easy to build

Lens-free coded aperture imaging



	Lens-based cameras	Lens-free coded aperture cameras
Strength	High visual quality; CV algorithms friendly	No lens issues; Easy to build
Weakness	Lens issues (distortion; aberration; heavy)	Noise due to low light; Requires heavy computation
Privacy	revealing	preserving

Image formation (in matrix form)

$$\mathbf{d} = \mathbf{A}\mathbf{o}$$

$\mathbf{o} \in \mathbb{R}^{mn \times 1}$ object image

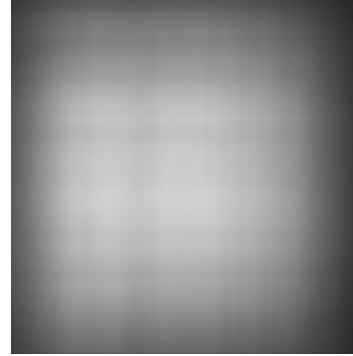
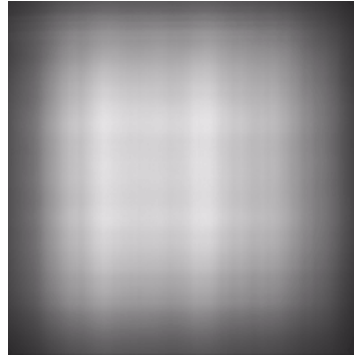
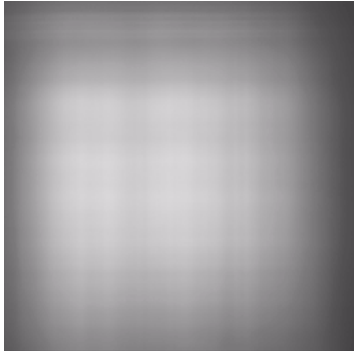
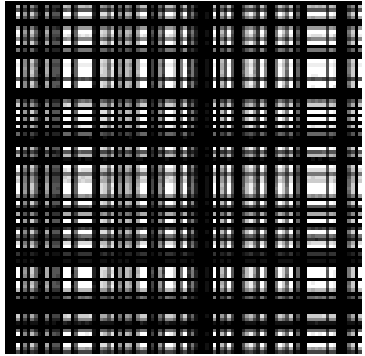
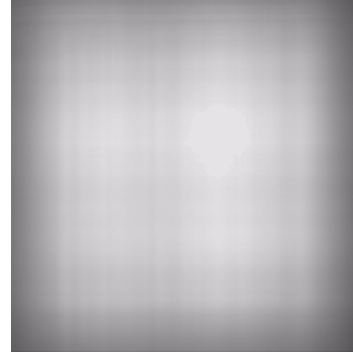
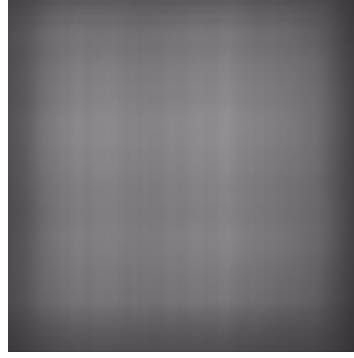
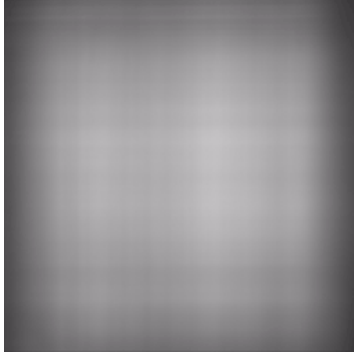
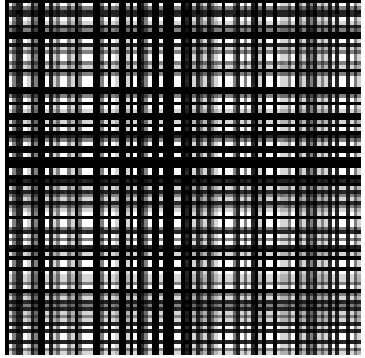
$\mathbf{A} \in \mathbb{R}^{mn \times mn}$ coded aperture PSF

$\mathbf{d} \in \mathbb{R}^{mn \times 1}$ detected image

If $m = n = 10^3$,
A will be $10^6 \times 10^6$

What is this?

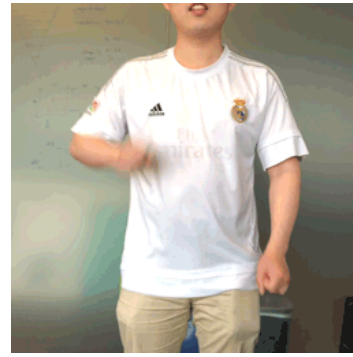
Hint: encoding mask



Coded aperture images are difficult to understand by human beings!

Can machines do a better job?

Answer



A pilot study

Task: 5-class classification. (RGB2gray vs. synthetic CA images)

“writing on board”, “Wall pushups”, “blowing candles”, “pushups”, “mopping floor” from UCF-101
3 frames for each sample

Classifier: VGG-16

Same training settings...

Results:

5-class classification	Training accuracy (%)	Validation accuracy (%)
RGB2gray images	50 th : 99.56 (Max: 99.86)	50 th : 94.39 (Max: 95.91)
Synthetic CA images	50 th : 79.06 (Max: 92.65)	50 th : 63.21 (Max: 83.96)

Directly classifying CA images will quickly result in overfitting!

What about reconstruction? Possible but non-trivial.

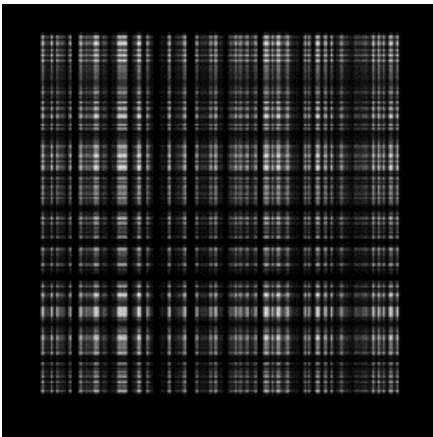
Scene reconstruction from coded aperture image

We follow the deconvolution method from *DeWeert & Farm 2015*

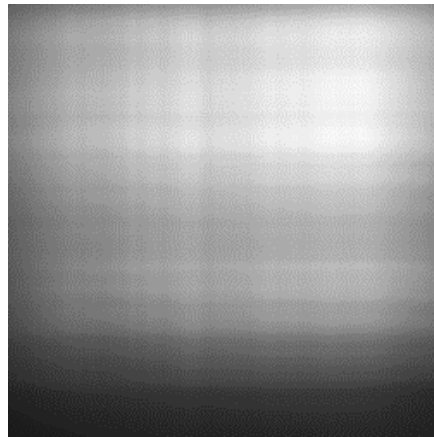
The mask used is separable on x and y axis, so as to reduce complexity.

The mask code on one dimension is called "Maximum Length Sequence" (MLS), a family of random binary code.

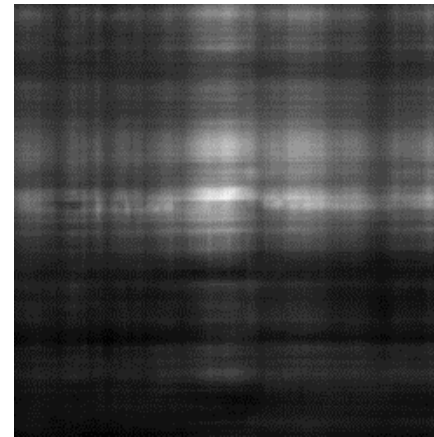
Coded mask on SLM



Captured image



Reconstructed image



Reference



For high quality:

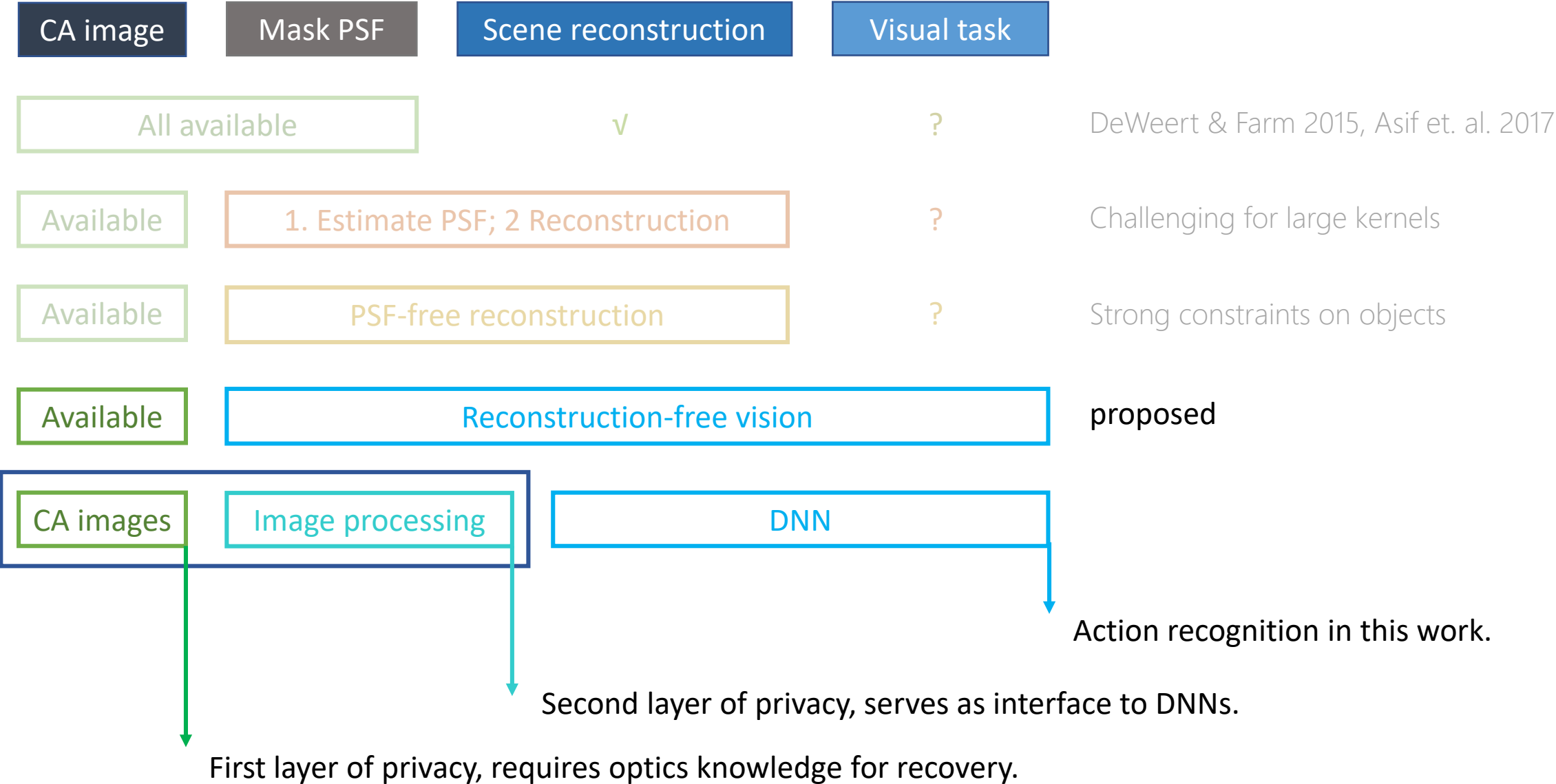
preprocessing (hot pixel removal, denoising)

PSF calibration

many iterations

Expensive for executing visual tasks!

Challenges and opportunities



Motion characterization (Translation)

- $o_2(\mathbf{p}) = o_1(\mathbf{p} + \Delta\mathbf{p})$

- $O_2(\mathbf{v}) = \phi(\Delta\mathbf{p})O_1(\mathbf{v})$

- $C(\mathbf{v}) = \frac{O_1 \cdot O_2^*}{|O_1 \cdot O_2^*|} = \phi^* \frac{O_1 \cdot O_1^*}{|O_1 \cdot O_1^*|} = \phi(-\Delta\mathbf{p})$

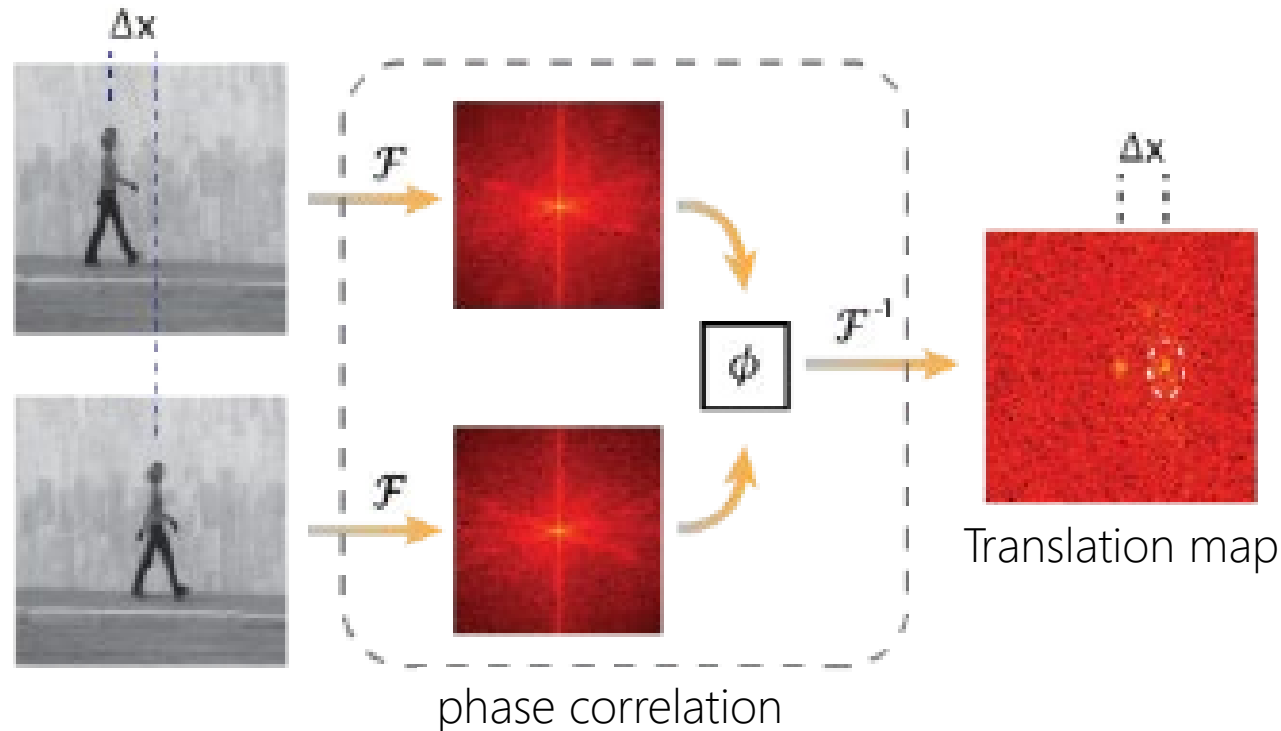
- $c(\mathbf{p}) = \delta(\mathbf{p} + \Delta\mathbf{p})$

$$\mathbf{p} = [x, y]^T; \Delta\mathbf{p} = [\Delta x, \Delta y]^T$$

Fourier transform, $\mathbf{v} = [\xi, \eta]^T$ $\phi(\Delta\mathbf{p}) = e^{i2\pi(\xi\Delta x + \eta\Delta y)}$

Cross power spectrum

Inverse Fourier transform



Translation features for coded aperture images

- $d_2(\mathbf{p}) = o_2(\mathbf{p}) * a = d_1(\mathbf{p}')$

$$\mathbf{p} = [x, y]^T; \mathbf{p}' = \mathbf{p} + \Delta\mathbf{p}$$

- $D_2(\mathbf{v}) = O_2 \cdot A = \phi \cdot O_1 \cdot A$

Fourier transform

- $C_d(\mathbf{v}) = \frac{D_1 \cdot D_2^*}{|D_1 \cdot D_2^*|} = \phi^* \frac{O_1 \cdot \mathbf{A} \cdot \mathbf{A}^* \cdot O_1^*}{|O_1 \cdot \mathbf{A} \cdot \mathbf{A}^* \cdot O_1^*|} \approx \phi^*$

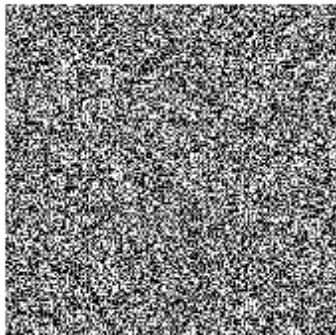
Cross power spectrum

- $c_d(\mathbf{p}) = \delta(\mathbf{p}')$

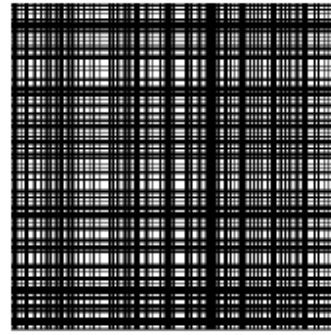
Inverse Fourier transform

The mask spectrum in Fourier space should contain as many non-zeros as possible, so that Translation features are invariant to mask patterns.

To evaluate, we qualitatively compare three masks (50%)



Mask 1



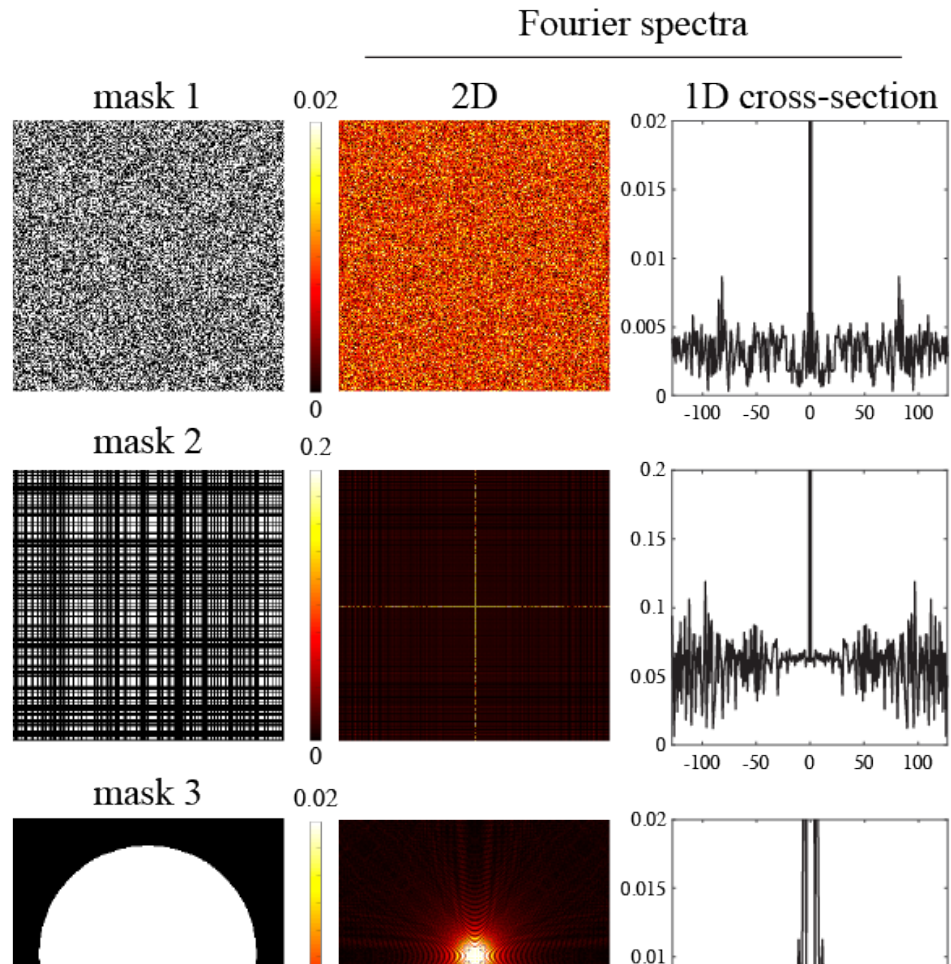
Mask 2



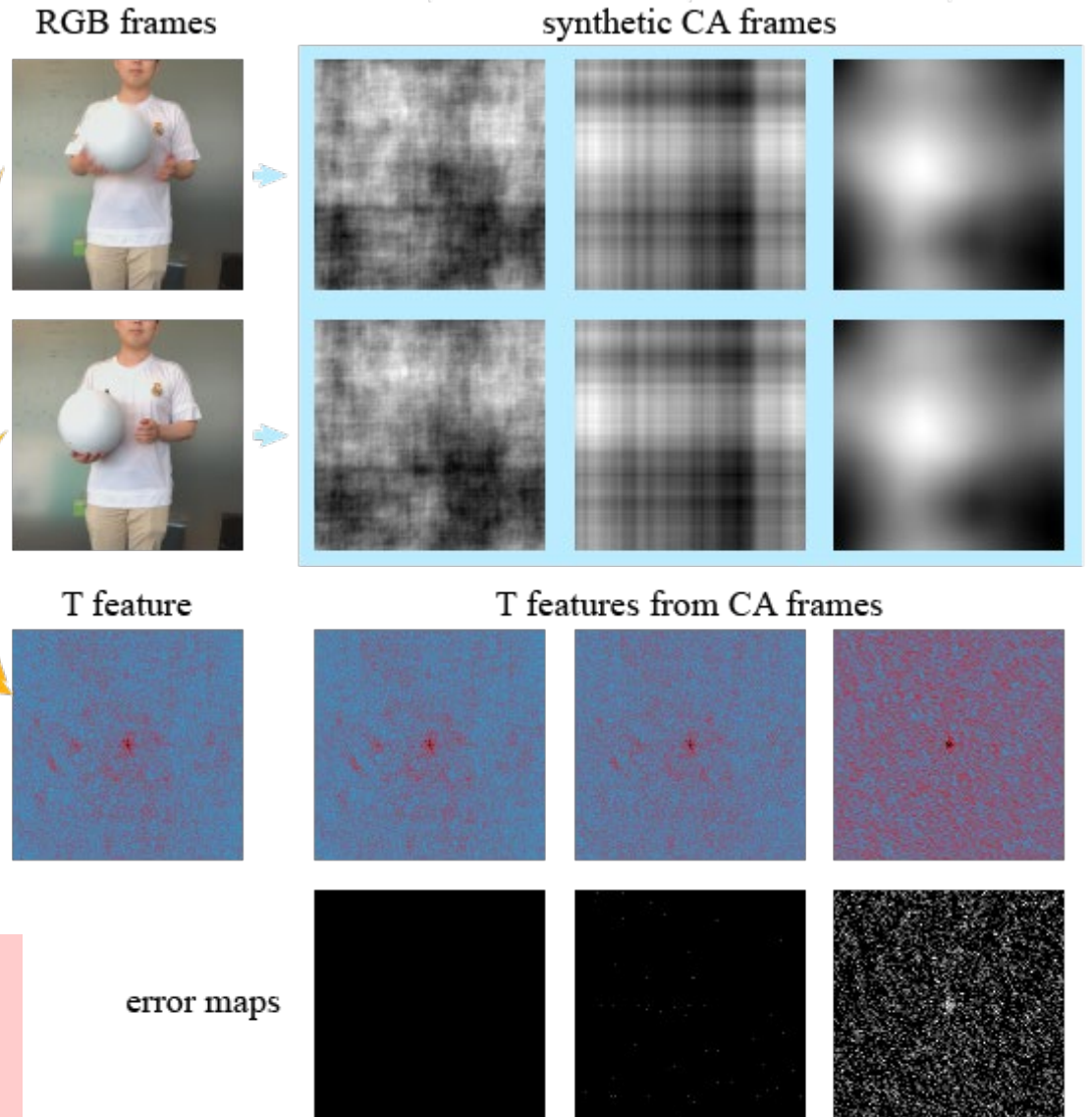
Mask 3

Mask 1: complete random;
Mask 2: x-y separated MLS;
Mask 3: a circular shape aperture

Comparison of mask patterns



Compared to T feature without mask, Mask 1 and 2 have little effect on T features, but Mask 3 has noticeable error.



Classifying T features

We repeat the 5-class classification task, but first converting RGB images to T features:

RGB->gray->CA->T

We show the progress of validation accuracy for 50 epochs.

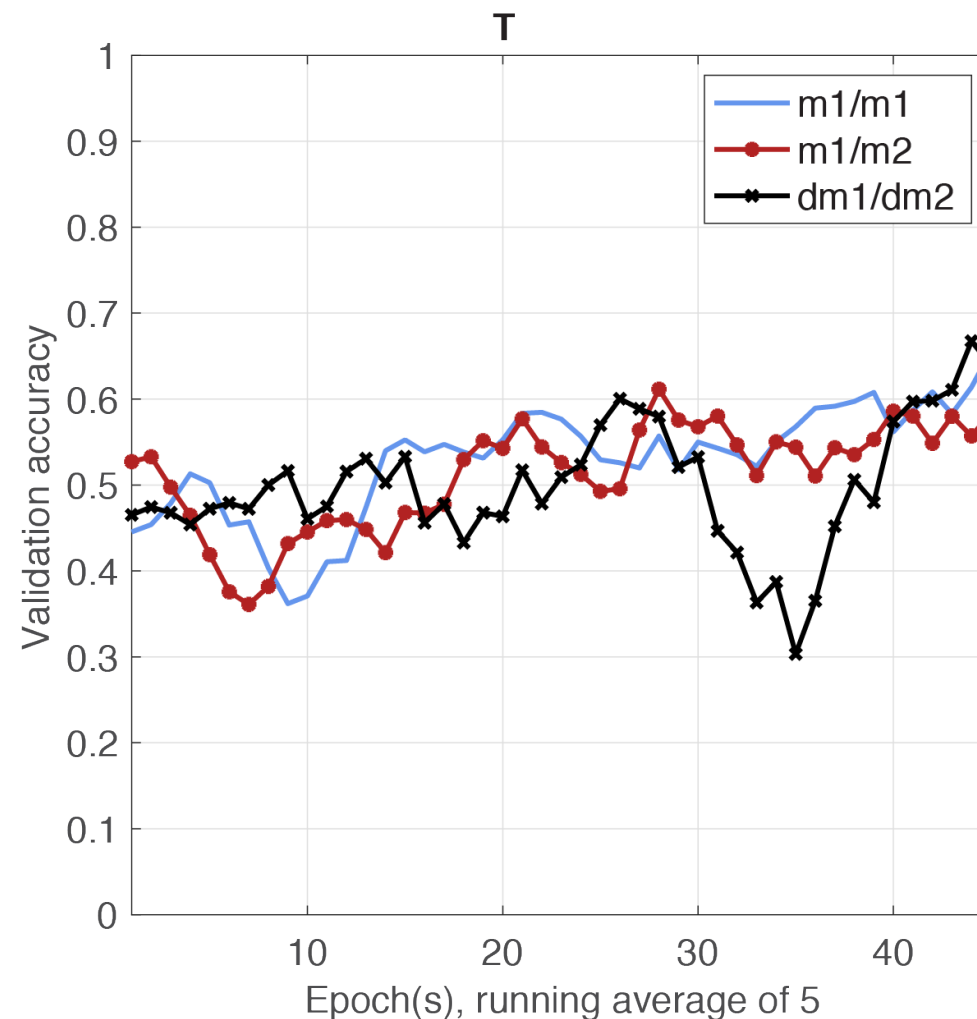
We compare 3 strategies:

"m1/m1": train and validate using the same mask;

"m1/m2": train and validate using two different masks;

"dm1/dm2": train and validate using randomly generated masks changes for each epoch.

The results validates the "mask-invariant" property for T features.



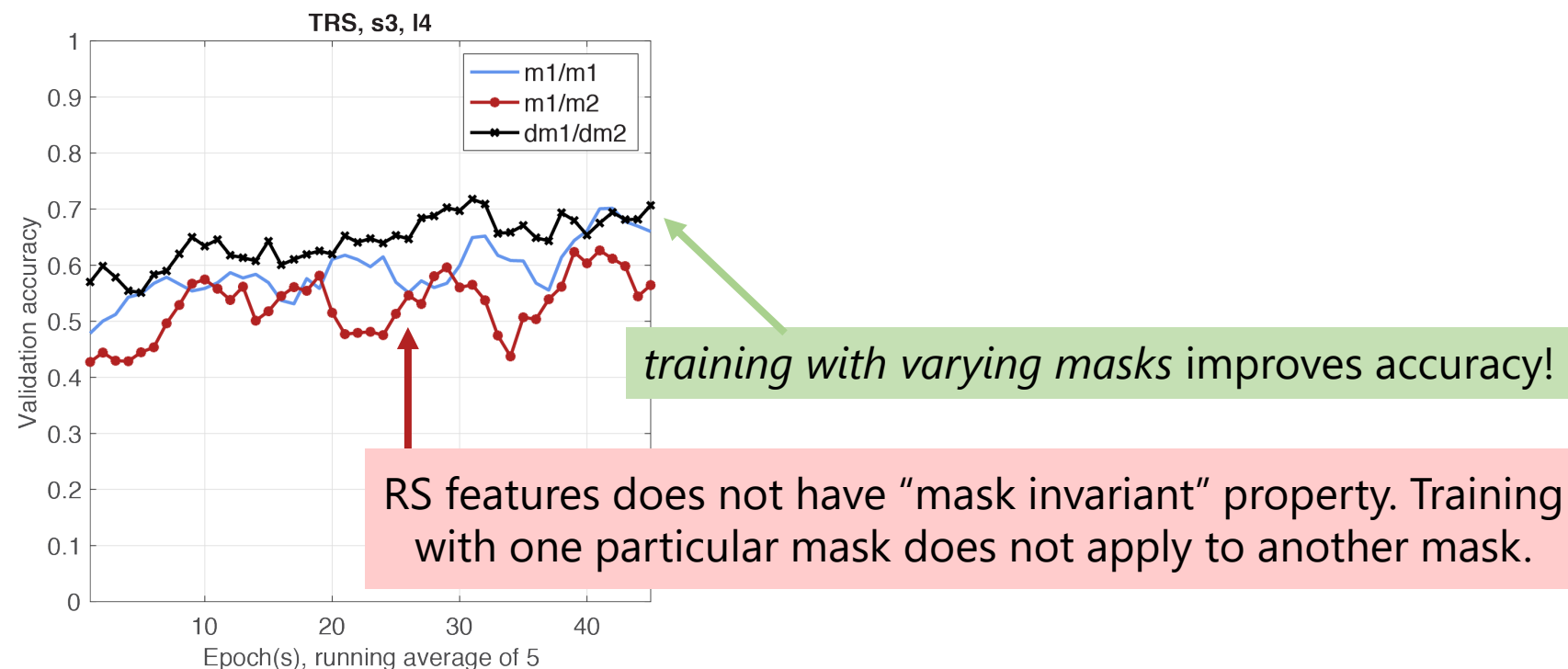
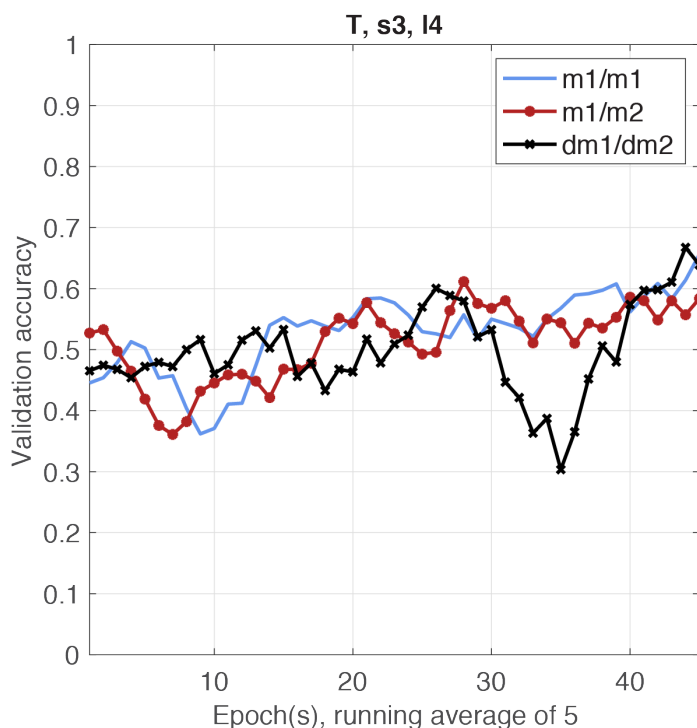
Further improvements (Rotation & Scale features)

- $o_2(\mathbf{p}) = o_1(s\mathbf{R}\mathbf{p})$
- $O_2(\mathbf{v}) = O_1(s\mathbf{R}\mathbf{v})$
- $|O_2(\mathbf{q})| = |O_1(\mathbf{q} + \Delta\mathbf{q})|$
- Use **phase correlation** again to obtain RS feature map.
- Together with Translation features, to form TRS feature maps.

s : scaling factor; $\mathbf{R}$: rotation matrix

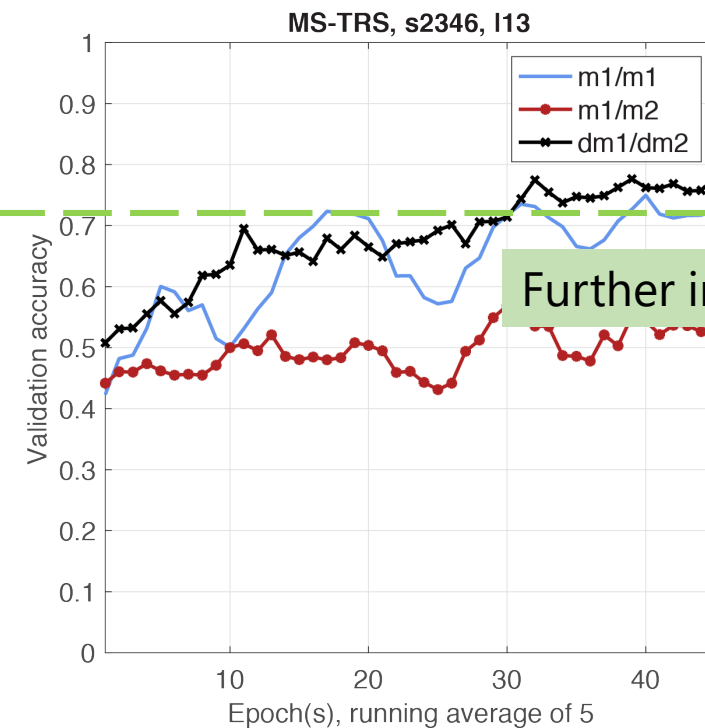
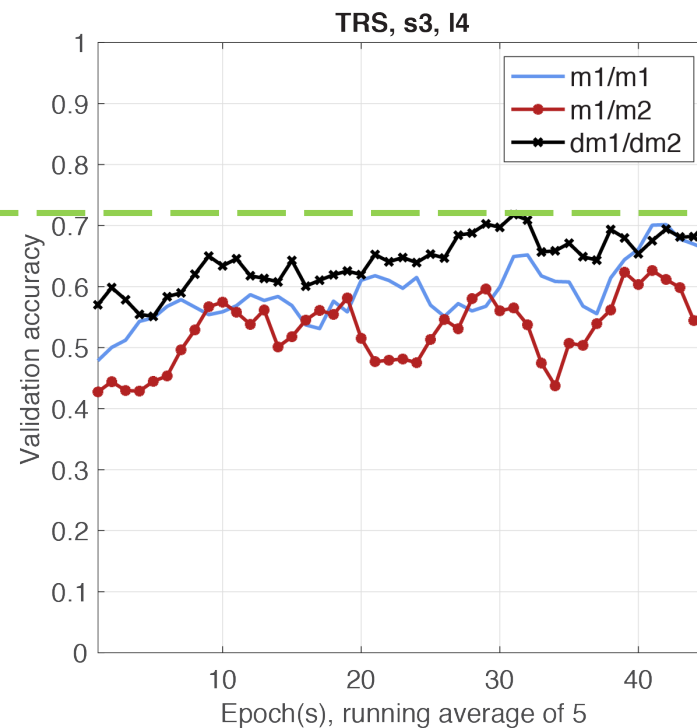
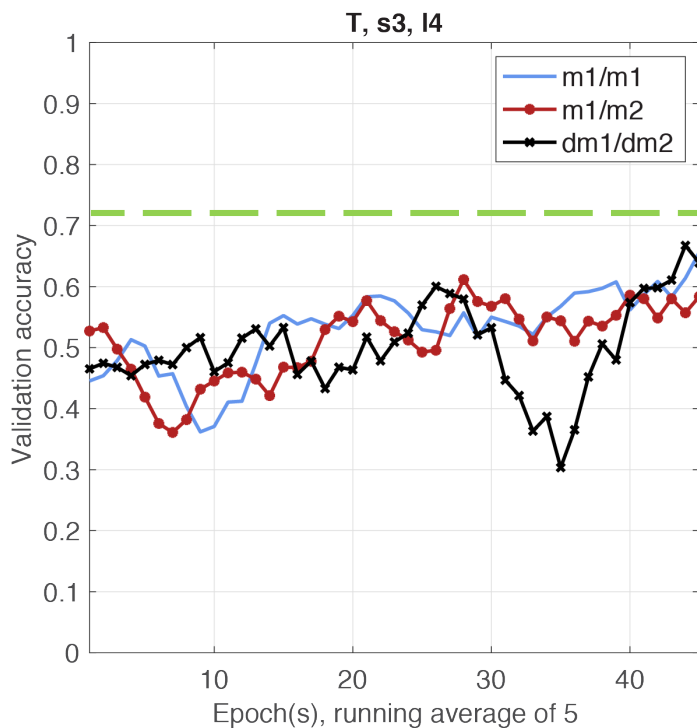
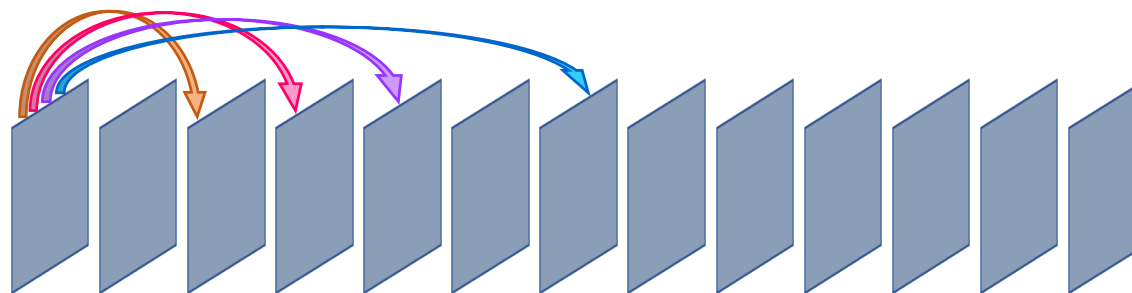
Rotation and scale preserves in Fourier domain

Transform to log-polar space. $\mathbf{p} = [x, y]^T \Rightarrow \mathbf{q} = [\log(\rho), \theta]^T$



Further improvements (TRS features at multiple time strides)

- Compute TRS at multiple time strides.
 - e.g. for a 13-frame video ($l13$), strides of $\{s2, s3, s4, s6\}$ results in $(6+4+3+2) \times 2 = 30$ TRS images.
- We name it MS-TRS.



More testing results

We focus on indoor actions with stationary cameras.

Datasets: 22 classes selected from UCF-101; (for searching for best MS-TRS combinations)

9-class body motion: Hula hoop, mopping floor, body weight squat, ...

13-class subtle motion: Apply eye makeup, apply lipsticks, brushing teeth, ...

Results:

Training / validation (%)	9-class body	13-class subtle	22-class indoor
<i>s346, l19</i>	90.5 / 83.4	86.1 / 76.4	88.6 / 72.8

s346, l19 is best for cost & performance.

Salient / body motion > subtle / local motion.

More testing results

We focus on indoor actions with stationary cameras.

Datasets: 1) 22 classes selected from UCF-101; (for searching for best combinations)

2) 2 UCF classes + 8 classes from NTU RGB-D dataset (we only use RGB).

“jumping jack” & “body weight squat” are from UCF-101

Testing protocol: video-wise. 3 spatial_scales x 5 time_intervals = 15 clips are sampled for each testing video.

Features: s_{346} , l_{119} (19-frame clip, compute TRS at strides of {3, 4, 6})

Results:

	predicted class									
	1	2	3	4	5	6	7	8	9	10
true class	1	97.1	0.0	2.9	0.0	0.0	0.0	0.0	0.0	0.0
	2	0.0	94.3	0.0	0.0	0.0	0.0	2.9	2.9	0.0
	3	0.0	8.6	91.4	0.0	0.0	0.0	0.0	0.0	0.0
	4	0.0	10.8	2.7	81.1	5.4	0.0	0.0	0.0	0.0
	5	0.0	0.0	3.3	20.0	76.7	0.0	0.0	0.0	0.0
	6	0.0	28.6	8.6	0.0	0.0	57.1	5.7	0.0	0.0
	7	0.0	37.1	5.7	0.0	0.0	5.7	51.4	0.0	0.0
	8	2.9	51.4	2.9	0.0	0.0	0.0	11.4	31.4	0.0
	9	0.0	65.6	0.0	0.0	0.0	0.0	15.6	6.3	12.5
	10	0.0	31.4	2.9	0.0	0.0	0.0	42.9	8.6	8.6

1	Hopping
2	Staggering
3	Jumping up
4	Jumping jack
5	Body weight squat
6	Standing up
7	Sitting down
8	Throw
9	Clapping
10	Handwaving

Salient body motion

Subtle local motion

Testing real CA videos

RGB reference

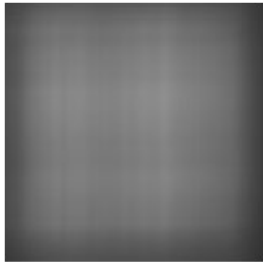
captured coded aperture videos



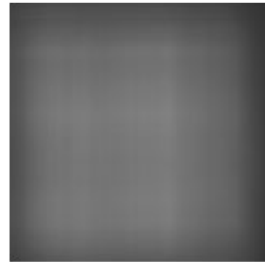
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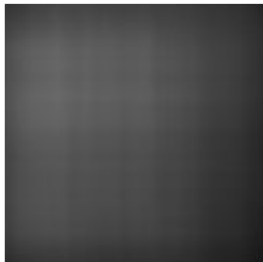
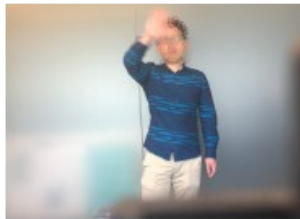
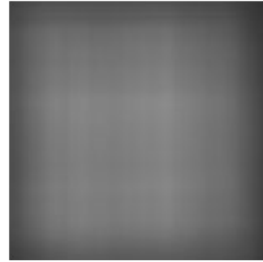
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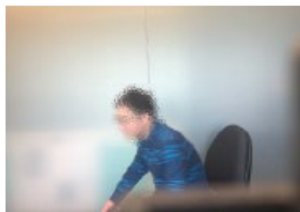
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Successful classes:

body weight squat (3 videos) 100% top-1

jumping jack (5 videos) 100% top-2

standing up (1 video) 100% top-3

Others (e.g. 8 "handwaving" and 2 "sitting down")
are unsuccessful

Limitation & Future work:

Domain gap between training (synthetic CA)
and testing (real CA); fancy forward simulation
(diffraction effects)

No existing real CA dataset available,
collecting one might be worthy.

Concluding remarks

- Lens-free coded aperture cameras are useful for privacy preserving vision.
 - Captured data is visually incomprehensible.
 - The encoding mask / PSF is required to perform reconstruction.
 - The masks can be randomly generated for each camera.
 - For hackers to obtain the PSF, they need to break into the room and light a point source.
- MS-TRS for privacy-preserving motion features.
 - Non-invertible (phase correlation).
 - Mask-invariant (Different masks result in the same features).
 - True for T features.
 - RS features can be achieved by training with varying masks.

Thank you!